

CSE 123 Discussion 2

10/09/2018

Sliding Window Protocol

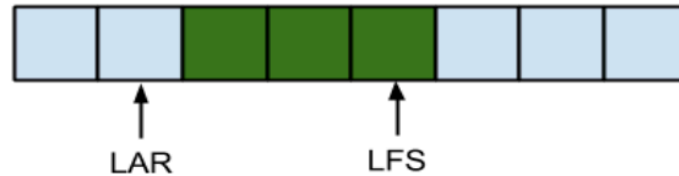
Common.h

- You can add your own data structures here.
- struct Sender_t
 - SWS – Sliding window size
 - LAR (Last Acknowledgement Received) - Sequence number of last acknowledgement received, defines lower bound of the sender window
 - LFS (Last Frame Sent)- Sequence number of the last frame sent, defines upper bound of the window
 - Window is from [LAR+1, LFS], that is all frames that have been sent but not yet Acked.

Frame Sequence Number in Window

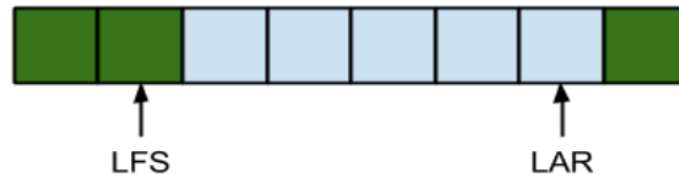
CASE 1: Usual Case
LAR <= LFS

$LAR \leq LFS \ \&\& \ seqNo > LAR \ \&\& \ seqNo \leq LFS$



CASE 2: Sequence Number Wrap Around
LAR > LFS

$LAR > LFS \ \&\& \ (seqNo > LAR \ || \ seqNo \leq LFS)$



In this case, we are not using the full window of 4.

Sender with SWS = 4, sequence number in [0,7]

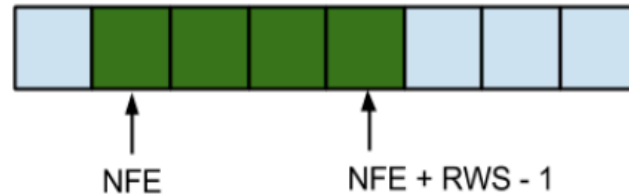
Receiver_t

- RWS - Max receive window size
- NFE - Next Frame Expected
- LFR - Sequence number of largest consecutive frame received
- LAF - Sequence number of largest acceptable frame
- $LFR = NFE - 1$
- $LAF = NFE + RWS - 1$

Frame Sequence Number in Window

CASE 1: Usual Case
 $NFE + RWS - 1 \geq NFE$

$NFE + RWS - 1 \geq NFE \ \&\& \ seqNo \geq NFE \ \&\& \ seqNo \leq NFE + RWS - 1$

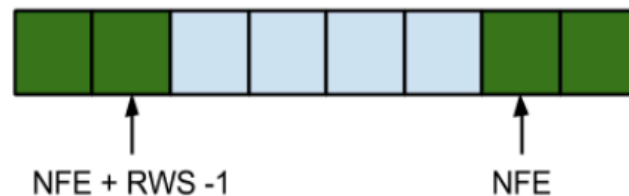


Remember NFE is just $LFR + 1$ and LAF is just $NFE + RWS - 1$.

Green sequence numbers are in window and grey are outside.

CASE 2: Sequence Number Wrap Around
 $NFE + RWS - 1 < NFE$

$NFE + RWS - 1 < NFE \ \&\& \ (seqNo \geq NFE \ || \ seqNo \leq NFE + RWS - 1)$



Receiver with $RWS = 4$, sequence number in $[0,7]$

Frame Not in Window On Receiver

- Send ACK with number $NFE - 1$
 - This tells the sender that receiver has successfully received all frames up to $NFE - 1 = LFR$
- Will happen when ACK is lost and needs to be re-sent

Circular Sender/Receiver Window

- Implement send and receive queue as circular array or list
- Index in to sender's send queue using sequence number % SWS
- Index in to receiver's receive queue using sequence number % RWS
- Take the codes from P&D as reference

Sequence Number Wrap Around

- You should NOT use more than 8 bits (unsigned char) for seq/ack numbers.
- You need to handle sequence number wrap around once the value reaches 255. Your seq/ack number should wrap back to 0.
- How to do this?
- Answer: % modulus

Homework Discussion

Due on 10/12 Friday in class

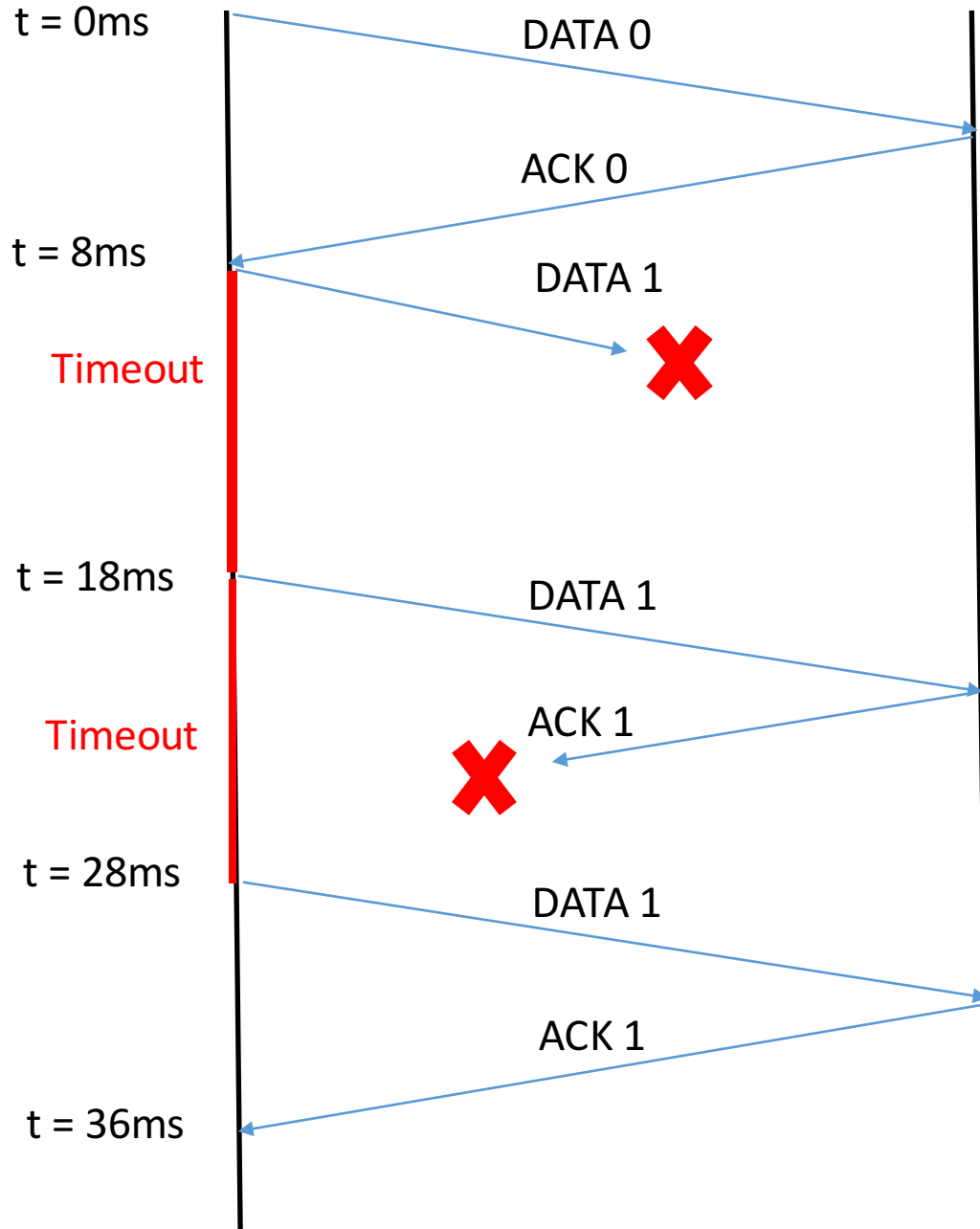
Automatic Repeat Request (ARQ) Protocol

Stop and Wait:

1. Sender transmits a data frame with a sequence number encoded
2. Receiver replies with an acknowledgement frame
3. Sender either (1) transmits a new data frame if it gets an acknowledgement of the previous frame before the timeout, or (2) retransmits the frame after the timeout.

Sender

Receiver



Timeout = 10ms

Round Trip Time = 8ms

Question 5?

Question 1f?

Two-Dimensional Parity

Given below is a series of 7 7-bit items of data, with an additional bit each and an extra byte to account for parity.



First Byte

1	0	1	0	1	0	1	
1	1	1	1	1	1	1	
0	0	0	0	0	0	0	
1	1	1	1	0	0	0	
1	0	1	0	1	0	1	
0	0	0	0	1	1	1	
0	1	0	1	0	0	1	

Parity Byte



What is the original data?

How many bits are actually transmitted?

Two-Dimensional Parity

Given below is a series of 7 7-bit items of data, with an additional bit each and an extra byte to account for parity. Odd parity is applied.



First Byte

1	0	1	0	1	0	1	1
1	1	1	1	1	1	1	0
0	0	0	0	0	0	0	1
1	1	1	1	1	0	0	1
1	0	1	0	1	0	1	1
0	0	0	0	1	1	1	0
0	1	0	1	0	0	1	0
1	0	1	0	1	1	0	1

Parity Byte



Can we detect/correct all 1-bit flip?



Question 2.a?



Two-Dimensional Parity

Given below is a series of 7 7-bit items of data, with an additional bit each and an extra byte to account for parity. Odd parity is applied.



First Byte

1	0	1	0	1	0	1	1
1	1	1	1	1	1	1	0
0	0	0	0	0	0	0	1
1	1	1	1	1	0	0	1
1	0	1	0	1	0	1	1
0	0	0	0	1	1	1	0
0	1	0	1	0	0	1	0
1	0	1	0	1	1	0	1

Parity Byte



Can we detect/correct all 2-bit flips?



What if 2 flipped bits are in the same row, or the same column?



Question 2.b

Error checking using CRC

Sending side:

1. To detect up to k -bit burst errors, select a generator G which has $k + 1$ bits. (Look up Table 2.3 on Page 102 of the textbook)
2. Shift data D to the left for k bits ($D \ll k == 2^k * D$)
3. Divide ($2^k * D$) by generator G using Modulo-2 arithmetic, and get a remainder r
4. Actual data transmitted is $(2^k * D) \text{ XOR } r$

Example:

Assume sender's message is 1011 0011 0101 0110, and we decide to encode this message with CRC-8 polynomial. What is the actual bit-sequence that get transmitted?

D = 1011 0011 0101 0110

G = 1 0000 0111

k = 8

Table 2.3 Common CRC Polynomials

CRC	$C(x)$
CRC-8	$x^8 + x^2 + x^1 + 1$
CRC-10	$x^{10} + x^9 + x^5 + x^4 + x^1 + 1$
CRC-12	$x^{12} + x^{11} + x^3 + x^2 + x + 1$
CRC-16	$x^{16} + x^{15} + x^2 + 1$
CRC-CCITT	$x^{16} + x^{12} + x^5 + 1$
CRC-32	$x^{32} + x^{26} + x^{23} + x^{22} + x^{16} + x^{12} + x^{11}$ $+ x^{10} + x^8 + x^7 + x^5 + x^4 + x^2 + x + 1$

Sending side:

1. To detect up to k -bit burst errors, select a generator G which has $k + 1$ bits. (Look up Table 2.3 on Page 102 of the textbook)
2. Shift data D to the left for k bits ($D \ll k == 2^k * D$)
3. Divide ($2^k * D$) by generator G using Modulo-2 arithmetic, and get a remainder r
4. Actual data transmitted is ($2^k * D$) XOR r

$D = 1011\ 0011\ 0101\ 0110$

$G = 1\ 0000\ 0111$ $k = 8$

Answer:

1011 0011 0101 0110 **1101 0101**

Error checking using CRC

Receiving side:

1. Check whether the received bit stream S ($2^k * D$ XOR r) is divisible by the generator G .

Message = 1011 0011 0101 0110 1101 0101

$G = 1\ 0000\ 0111$

$r = 0 \rightarrow$ Error check PASSED

Questions?