## Lecture 7: ARM Arithmetic and Bitwise Instructions

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## Basic Types of ARM Instructions

1. Arithmetic: Only processor and registers involved compute the sum (or difference) of two registers, store the result in a register
2. move the contents of one register to another
3. Data Transfer Instructions: Interacts with memory load a word from memory into a register
4. store the contents of a register into a memory word
5. Control Transfer Instructions: Change flow of execution jump to another instruction
6. conditional jump (e.g., branch if registeri $==0$ )
7. jump to a subroutine

## ARM Addition and Subtraction

- Syntax of Instructions:

1 2,3,4
where:

1) instruction by name
2) operand getting result ( "destination")
3) 1st operand for operation ("sourcel")
4) 2nd operand for operation ("source2" )

- Syntax is rigid (for the most part):
- 1 operator, 3 operands
- Why? Keep Hardware simple via regularity


## Addition and Subtraction of Integers

- Addition in Assembly
- Example: ADD r0,r1,r2 (in ARM)

Equivalent to: $\mathrm{a}=\mathrm{b}+\mathrm{c}$ (in C )
where ARM registers $r 0, r 1, r 2$ are associated with C variables $\mathrm{a}, \mathrm{b}, \mathrm{c}$

- Subtraction in Assembly
- Example: SUB r3, r4, r5 (in ARM)

Equivalent to: $\mathrm{d}=\mathrm{e}-\mathrm{f}$ (in C)
where ARM registers $r 3, r 4, r 5$ are associated with $C$ variables $d, \quad e, f$

## Setting condition bits

- Simply add an 'S' following the arithmetic/ logic instruction
" Example: ADDS r0,r1,r2 (in ARM)
This is equivalent to $\mathrm{r} 0=\mathrm{r} 1+\mathrm{r} 2$ and set the condition bits for this operation

What is the min. number of assembly instructions needed to perform the following

$$
a=b+c+d-e ;
$$

A. Single instruction
B. Two instructions
C. Three instructions
D. Four instructions

Assume the value of each variable is stored in a register.

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## Addition and Subtraction of Integers

- How do the following C statement?

$$
a=b+c+d-e ;
$$

- Break into multiple instructions
" ADD r0, r1, r2 ; a = b + c
= ADD r0, r0, r3 ; a = a + d
- SUB r0, r0, r4 ; a = a - e
- Notice: A single line of C may break up into several lines of ARM.
- Notice: Everything after the semicolon on each line is ignored (comments)


## Addition and Subtraction of Integers

- How do we do this?
- f = ( $\mathrm{g}+\mathrm{h}$ ) - (i + j);
- Use intermediate temporary register

$$
\begin{array}{ll}
\text { ADD } r 0, r 1, r 2 & ; f=g+h \\
\text { ADD } r 5, r 3, r 4 & ; \text { temp }=i+j \\
\text { SUB } r 0, r 0, r 5 & ; f=(g+h)-(i+j)
\end{array}
$$

## Immediates

- Immediates are numerical constants.
- They appear often in code, so there are ways to indicate their existence
- Add Immediate:
- $\mathrm{f}=\mathrm{g}+10$ (in C)
- ADD r0,r1,\#10 (in ARM)
- where ARM registers $r 0, r 1$ are associated with C variables $\mathrm{f}, \mathrm{g}$
- Syntax similar to add instruction, except that last argument is a \#number instead of a register.


## Arithmetic operations: Addressing Modes

1. Register Direct Addressing: Operand values are in registers:

* ADD r3, r0, r1; r3=r0+r1

2. Immediate Addressing Mode: Operand value is within the instruction

* ADD r3, r0, \#7; r3=r0+7
*The number 7 is stored as part of the instruction

3. Register direct with shift or rotate (more next lecture)

* ADD r3, r0, r1, LSL\#2; r3=r0+ r1<<2


## What is a likely range for immediates in the immediate addressing mode

A. 0 to $\left(2^{32}-1\right)$
B. 0 to 255

## What is a likely range for immediates in the immediate addressing mode

A. 0 to $\left(2^{32}-1\right)$
B. 0 to 255 Immediates are part of the instruction (which is a total of 32 bits). Number of bits reserved for representing immediates is 8 bits

## Add/Subtract instructions

1. $\mathrm{ADD} \mathrm{rl}, \mathrm{r} 2, \mathrm{r} 3 ; \mathrm{rl}=\mathrm{r} 2+\mathrm{r} 3$
2. $\mathrm{ADC} \mathrm{rl}, \mathrm{r} 2, \mathrm{r} 3 ; \mathrm{rl}=\mathrm{r} 2+\mathrm{r} 3+\mathrm{C}$ (arry Flag)
3. SUB r1, r2,r3; rl=r2-r3
4. SUBC r1, r2, r3; r1=r2-r3 +C -1
5. RSB $\mathrm{rl}, \mathrm{r} 2, \mathrm{r} 3 ; \mathrm{rl}=\mathrm{r} 3-\mathrm{r} 2$;
6. RSC rl, r2, r3; r1=r3-r2 +C -1

## Integer Multiplication

*Paper and pencil example (unsigned):

$$
\begin{aligned}
& \text { Multiplicand } 1000 \\
& \text { Multiplier } \frac{x 1001}{1000} \\
& 0000 \\
& 0000 \\
& \frac{+1000}{01001000}
\end{aligned}
$$

$\% \mathrm{~m}$ bits x n bits $=\mathrm{m}+\mathrm{n}$ bit product

## Multiplication

- Example:
- in C: $a=b$ * $c$;
- in ARM:
let b be r2; let c be r 3 ; and let a be r 0 and r 1 (since it may be up to 64 bits) MUL r0, r2, r3 ; b*c only 32 bits stored

Note: Often, we only care about the lower half of the product.

$$
\text { SMULL r0,r1,r2,r3 ; } 64 \text { bits in r0:r1 }
$$

## Multiply and Divide

- There are 2 classes of multiply - producing 32-bit and 64-bit results
- 32-bit versions on an ARM7TDMI will execute in 2-5 cycles

```
" MUL r0, r1, r2 ; r0 = r1 * r2
= MLA r0, r1, r2, r3 ; r0 = (r1 * r2) + r3
```

- 64-bit multiply instructions offer both signed and unsigned versions
- For these instruction there are 2 destination registers

```
" [U|S]MULL r4, r5, r2, r3 ; r5:r4 = r2 * r3
" [U|S]MLAL r4, r5, r2, r3 ; r5:r4 = (r2 * r3) + r5:r4
```

- Most ARM cores do not offer integer divide instructions
- Division operations will be performed by C library routines or inline shifts


## Logical Operations operate on

A. Bits
B. Instructions
C. Numbers
D. Strings

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## Logical Operators

*Basic logical operators:
:AND
\%OR
*XOR
*BIC (Bit Clear)
$\star$ In general, can define them to accept $>2$ inputs, but in the case of ARM assembly, both of these accept exactly 2 inputs and produce 1 output
\&Again, rigid syntax, simpler hardware

## Logical Operators

*Truth Table: standard table listing all possible combinations of inputs and resultant output for each $*$ Truth Table for AND, OR and XOR

|  |  | AND (NOT B) |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| A | B | A AND B | A OR B | A XOR B | A BIC B |
| 0 | 0 | 0 | 0 | 0 | 0 |
| 0 | 1 | 0 | 1 | 1 | 0 |
| 1 | 0 | 0 | 1 | 1 | 1 |
| 1 | 1 | 1 | 1 | 0 | 0 |

## Bitwise Logic Instruction Syntax

*Syntax of Instructions:
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where:

1) instruction by name
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*Syntax is rigid (for the most part):
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## Bitwise Logic Operations

$\star$ Bitwise AND in Assembly
*Example: AND r0,r1,r2 (in ARM)
Equivalent to: $r 0=r 1 \& r 2($ in $C)$
*Bitwise OR in Assembly
: Example: ORR r3, r4, r5 (in ARM)
Equivalent to: $r 3=r 4 \mid r 5$ (in C)
*Bitwise XOR in Assembly
*Example: EOR r0,r1,r2 (in ARM)
Equivalent to: $r 0=r 1 \wedge r 2($ in $C)$
*Bitwise Clear in Assembly
Example: BIC r3, r4, r5 (in ARM)
Equivalent to: $r 3=r 4 \&(!r 5)($ in $C)$

## Bit wise operations

r0: 01101001<br>r1: 11000111

ORR r3, r0,r1; r3: 11101111
AND r3,r0,r1; r3: 01000001
EOR r3,r0,r1; r3: 10101110
BIC r3, r0, r1; r3: 00101000

## Uses for Logical Operators

$\star$ Note that ANDing a bit with 0 produces a 0 at the output while ANDing a bit with 1 produces the original bit.
*This can be used to create a mask.
*Example:
10110110101001000011110110011010
mask: $\quad 00000000000000000000111111111111$
*The result of ANDing these: 00000000000000000000110110011010 mask last 12 bits

## Uses for Logical Operators

*Similarly, note that ORing a bit with 1 produces a 1 at the output while ORing a bit with 0 produces the original bit.
$\star$ This can be used to force certain bits of a string to 1 s .

For example, 0x12345678 OR 0x0000FFF results in 0x1234FFFF (e.g. the high-order 16 bits are untouched, while the low-order 16 bits are forced to 1 s ).

## Invert bits 0-2 of $x$

A. x AND 00000111
B. x OR 00000111
C. x MOVN 00000111
D. x XOR 00000111

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A. x AND 00000111
B. x OR 00000111
C. x MOVN 00000111
D. $x$ XOR 00000111

## Uses for Logical Operators

$\star$ Finally, note that BICing a bit with 1 resets the bit (sets to 0 ) at the output while BICing a bit with 0 produces the original bit.
$\star$ This can be used to force certain bits of a string to 0 s.
For example, 0x12345678 OR 0x0000FFFF results in $0 \times 12340000$ (e.g. the high-order 16 bits are untouched, while the low-order 16 bits are forced to 0 s ).

## Find the 1 's complement of $x$

A. x XOR 00000000
B. x XOR 11111111
C. x XOR 11111110
D. x BIC 11111111

## Find the 1 's complement of $x$

A. x XOR 00000000
B. x XOR 11111111
C. x XOR 11111110
D. x BIC 11111111

## Assignment Instructions

* Assignment in Assembly
\& Example:
MOV r0,r1
(in ARM)
Equivalent to: $\quad \mathrm{a}=\mathrm{b}$
(in C)
where ARM registers r0, r1 are associated with C variables a \& b

Example:
MOV r0,\#10
Equivalent to: $\mathrm{a}=10$
(in ARM)
(in C)

## Assignment Instructions

* MVN - Move Negative - moves one's complement of the operand into the register.
* Assignment in Assembly
\& Example:
MVN r0,\#0
(in ARM)
Equivalent to:

$$
a=-1
$$

(in C)
where ARM registers $r 0$ are associated with C variables a

Since $\sim 0 \times 00000000==0 x F F F F F F F F$

## Conclusion

- In ARM Assembly Language:
- Registers replace C variables
- One Instruction (simple operation) per line
- Simpler is Better
- Smaller is Faster
- Instructions so far:

$$
\begin{aligned}
& \text { ADD, SUB, MUL, MULA, [U|S]MULL, [U| } \\
& \text { S]MLAL }
\end{aligned}
$$

- Registers:
- Places for general variables: $\mathrm{r} 0-\mathrm{r} 12$

