# Hierarchical Image-Region Labeling via Structured Learning

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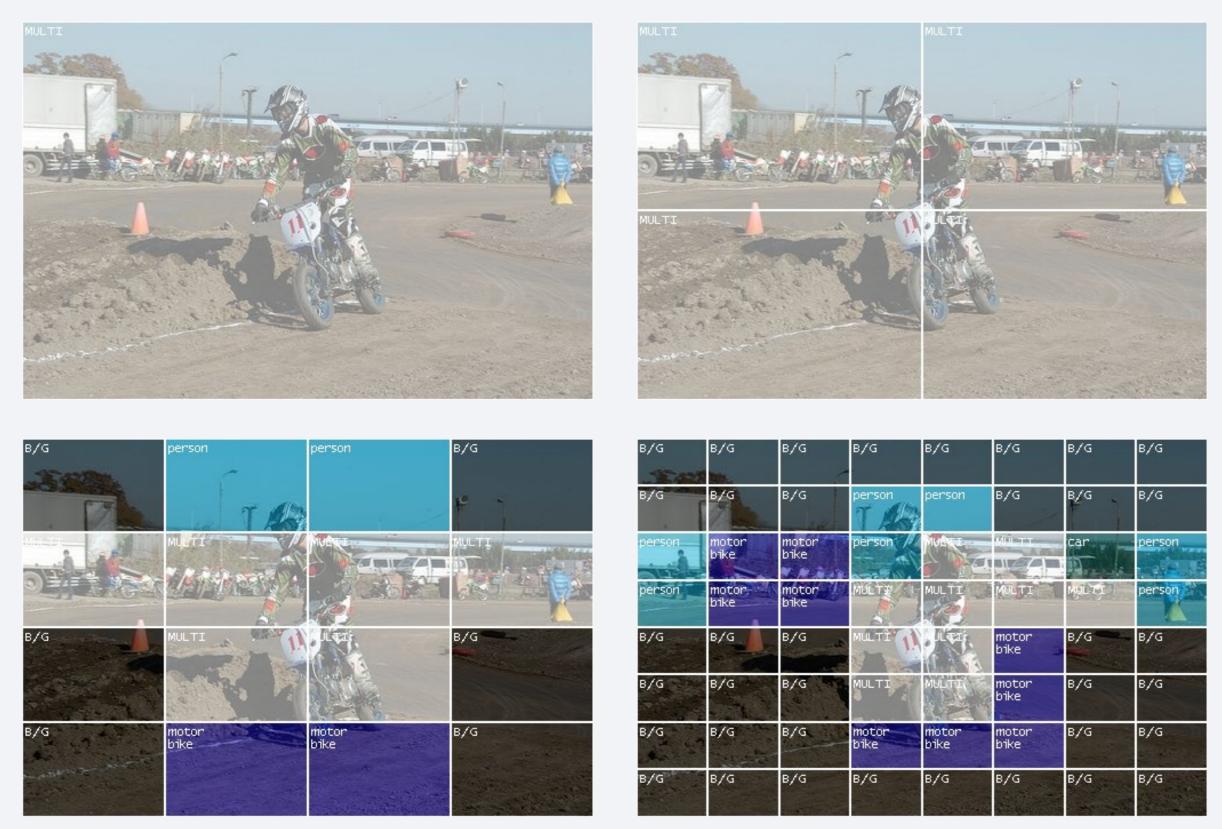
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#### Abstract

We present a graphical model that encodes hierarchical constraints for classifying image regions at multiple scales. We show that inference can be performed efficiently and exactly, rendering it amenable to structured learning. Our model is parametrised using the outputs of a series of first-order classifiers, meaning that it learns which classifiers are useful at different scales, as well as the relationships between classifiers across scales.

# Our model

The 'nodes' of our graphical model correspond to overlapping image regions:



Edges are formed by connecting nodes at different scales: we connect two nodes precisely when the corresponding image regions overlap at adjacent scales, so that our graphical model forms a quad-tree.

# First-order (node) features

Our image features are based on those from [2], in which image-level, region-level, and patch-level classifiers are proposed.

We use **all classifiers** at **all scales** ( $P_{r,label}$  is the probability that the region r is labeled *label*):

$$\Phi^{\text{nodes}}(r, label) = \underbrace{(0, \dots, P_{r, label}^{1}, \dots, 0)}_{\text{features for first classifier}} \underbrace{(0, \dots, P_{r, label}^{n}, \dots, 0)}_{\text{features for } n^{\text{th}} \text{ classifier}}$$

Thus we learn which classifiers are useful at which scales.

#### Hierarchical constraints

We want to ban inconsistent assignments at different scales:

The label of a child region must be 'below' the label of its parent region.

## Second-order (edge) features

Regions with the same label should have similar features:

$$\Phi^{\text{edges}}(r_p, r_c; \underline{\textit{label}_p, \textit{label}_c}) = -\underline{\textit{H}(\textit{label}_p, \textit{label}_c)} |P_{r_p, \textit{label}_p} - P_{r_c, \textit{label}_c}|^2$$
parent and child labels hierarchical constraint

Thus we learn which classifiers are consistent across scales

# Structured learning

We train our method using *structured learning* [3]. This requires only that we are able to solve the inference problem, and that our *loss function* ( $\Delta$ ) decomposes over the edges in our model, which is certainly true of the Hamming loss.

# Example results



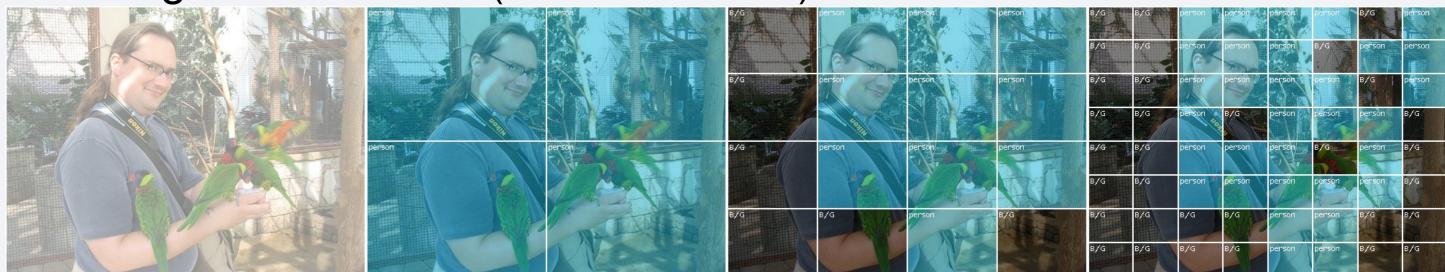
Baseline, using no second-order features (1  $-\Delta = 0.566$ ):



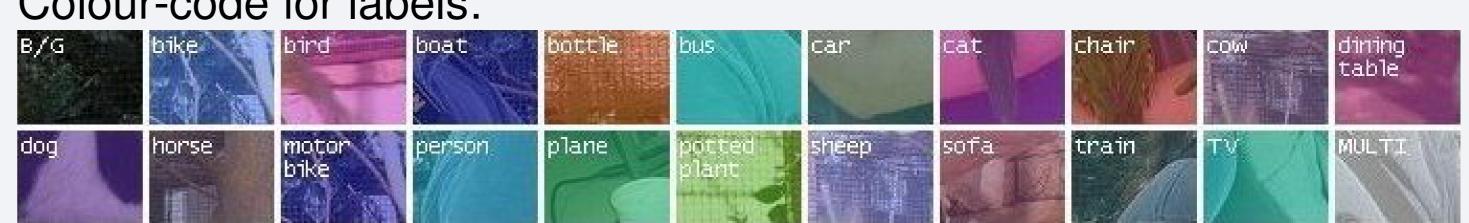
Second-order features without learning  $(1 - \Delta = 0.551)$ :



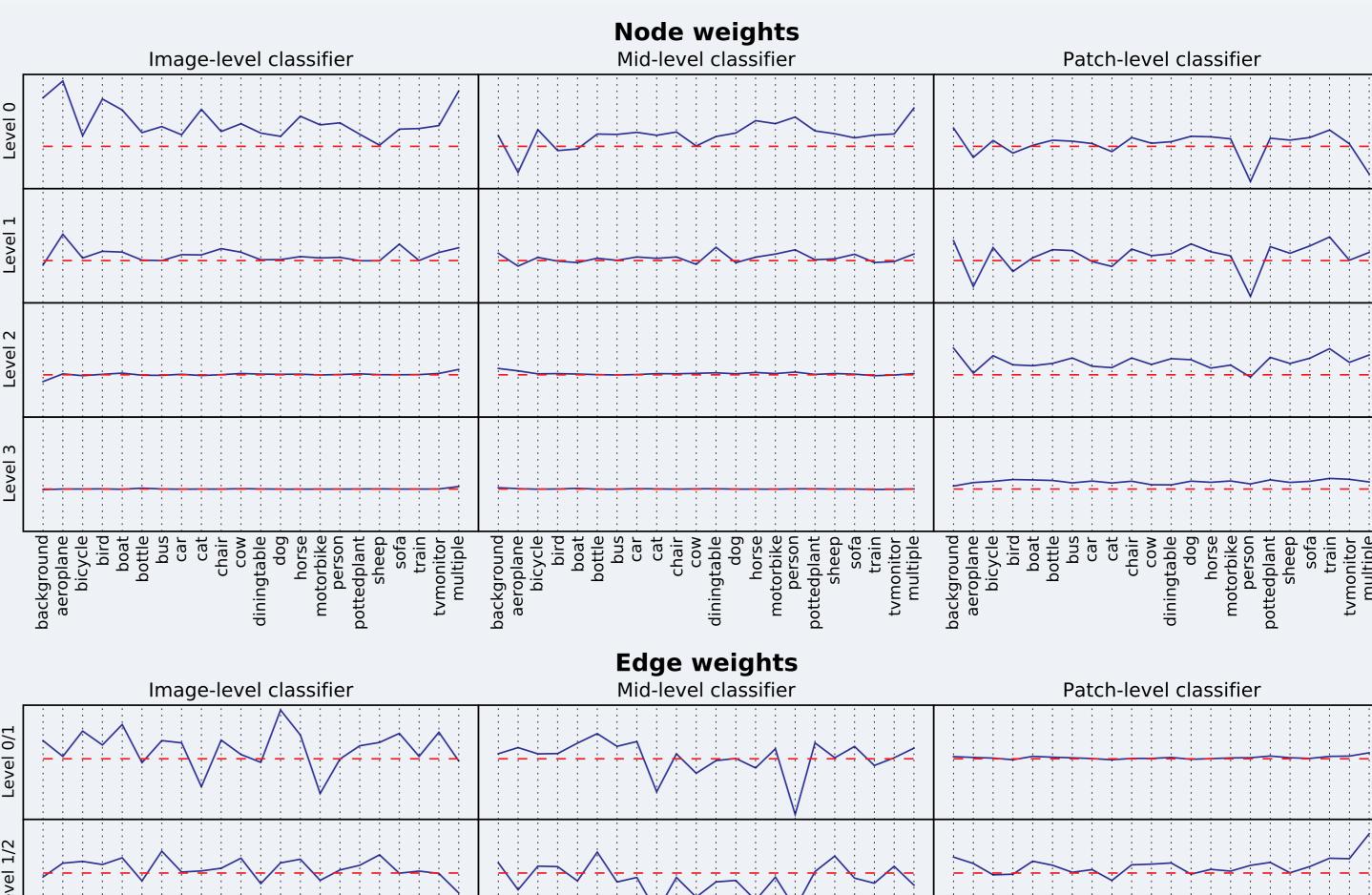
Learning of all features  $(1 - \Delta = 0.770)$ :

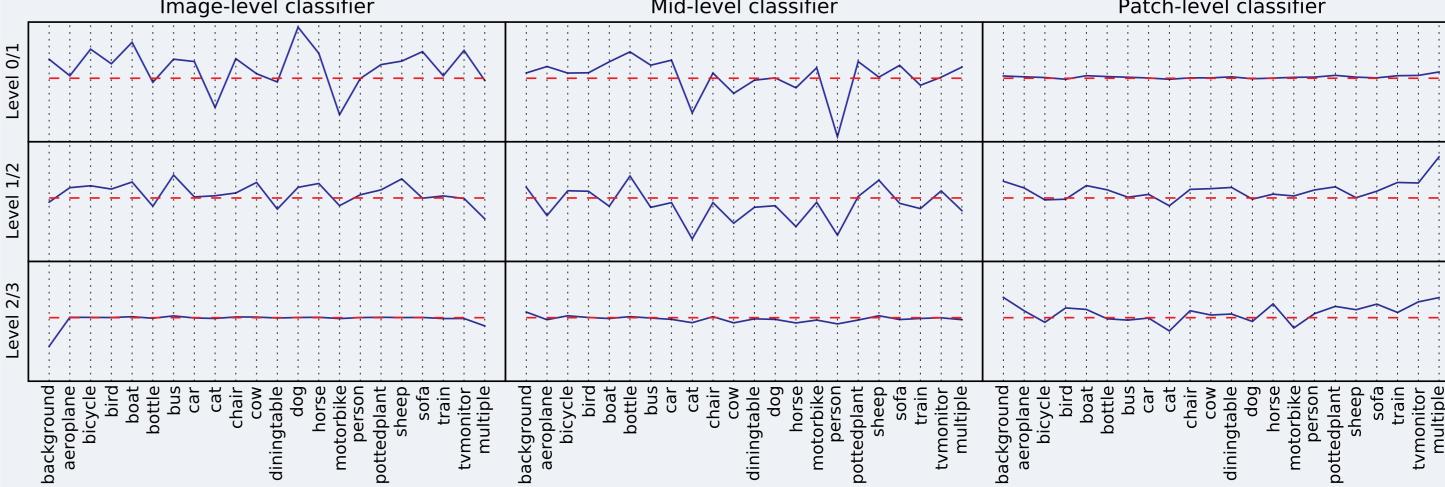


Colour-code for labels:



#### Our learned model





### Bibliography

- [1] J. J. McAuley, Teofilo de Campos, Gabriela Csurka, and Florent Perronnin. Hierarchical image-region labeling via structured learning. In *BMVC*, 2009.
- [2] G. Csurka and F. Perronnin.

A simple high performance approach to semantic segmentation. In *BMVC*, 2008.

- [3] I. Tsochantaridis, T. Hofmann, T. Joachims, and Y. Altun.
  Support vector machine learning for interdependent and structured output spaces.
  In *Predicting Structured Data*, pages 823–830, 2004.
- This poster is available at http://users.rsise.anu.edu.au/~julianm/